# INSERTION METHOD USING MUSIC NOTES 

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#### Abstract

Communication signals are openly available as they are propagated. Secured transmission is always a question and various methods are devised. Use of music notes is not in wide use in encryption of data. Any musical note consists of seven basic keys. In this paper we propose an insertion method with the seven music keys are used as a tool of encryption.


Keywords: Music Note, Binary string, Encryption, Decryption.

## INTRODUCTION

The word cryptography refers to the science and art of transforming messages to make them secure and immune to attacks. It is basically based on the concept of abstract algebra. Network security is mostly achieved through the use of cryptography. More generally, it is about constructing and analyzing protocols that overcome the influence of adversaries and which are related to various aspects in information security such as data confidentiality, data integrity, authentication, and non-repudiation. Modern cryptography intersects the disciplines of mathematics, computer science, and electrical engineering.

## PRELIMINARY NOTE

In this section we provide the details of music notes required for encryption of a binary string using the proposed encryption scheme.

## Music Notation

Musical notation is the representation of sound with symbols. Any music can be represented using these symbols. The basic notes in music are $\mathrm{C}, \mathrm{D}, \mathrm{E}, \mathrm{F}, \mathrm{G}, \mathrm{A}$ and B . A pause in music is represented by -. The following diagram represents the musical notation from C to B [ 3 ].


Sheet music comprises of the following components:
Staff: All musical notation symbols are placed on the staff. The staff is an arrangement of five parallel lines and the spaces between them. Each line and each space represents a musical note.


Clef: The clef is a symbol which represents the pitch or range of the instrument in which the music must be played in. The music to be
played in higher range is assigned the Treble symbol. The music to be played in lower range is assigned bass symbol. Symbol and notation in Treble clef


The Treble, or G clef, is derived from an ornamental Latin letter G. The five lines, from the bottom up, represent the following notes: E G B D F. The four spaces, from the bottom up, represent these notes: F ACE.
Symbol and notation in Bass Clef


## PROPOSED ENCRYPTION SCHEME

In encrypting any binary string the regular insertion method [ 2 ] is so familiar that anyone who wants to decode a binary string will attempt using insertion method. So any technique that is similar to insertion method, but not the regular insertion one gives rooms for a wrong decryption of the message by any hacker and hence safe for encryption. In this paper we propose two insertion methods using musical notes.

To convert the sheet music to binary digital form, consisting of only 0 s and 1 s , we use the following substitution.

Table 1 - Binary Conversion Table

| Music note | Binary <br> String |
| :--- | :--- |
| - | 000 |
| C | 001 |
| D | 010 |
| E | 011 |
| F | 100 |
| G | 101 |
| A | 110 |
| B | 111 |

Method 1 (Binary as Fake Music Note using insertion method )

In this method we use music notes to improve the insertion method. For regular insertion method we refer to [2].

Let $S$ be the binary string to be encrypted.

## Encryption Algorithm

Step 1 Choose any fake binary string of length $=3|S|$, where $|S|$ represents the number of
elements in $S$ and use the regular insertion method on $S$ to obtain a string S1.

Step 2 Convert S1 into a fake musical note M using the binary conversion table.

Step 3 Send M to the receiver.
To decrypt the message we reverse the encryption method.
Method 2 ( Binary as Fake Music Note Using Bass Clef ).
In this method we improve the security of insertion using chords as defined in table 3. In usual insertion method we always prefix the message to be encrypted into the fake binary string. We introduce a method of inserting the message into the fake binary string. We first consider the Bass Clef of the music note. This divides the fake music note into different segments of size $\mathrm{k}=12$. We then insert the message into the string as shown in table

To decrypt the message we reverse the encryption method.


Table 2 - Position of Insertion Using Chord

| Chord | Position of insertion | Position of insertion for sample string 111 |
| :---: | :---: | :---: |
| C | Between first and second bit | $1 \downarrow 11$ |
| F | Between second and third bit | $11 \neq 1$ |
| G | Prefix to the string | $111$ |

## Encryption Algorithm

Step 1 Choose any music note M and the Treble Clef of the music note.
Step 2 Using the Bass Clef split the music note into segments of size $\mathrm{k}=4$.

Step 3 Obtain the binary conversion S1 of M using the binary conversion table 1.

Step 4 Now insert S into S1 using the Bass Clef table 2 ( that is insert the string in the
positions as given in table 2 , that is for segment corresponding to $B$ between first two bits, for segment corresponding to $F$ between second and third position, for segment corresponding to G suffix the string ) to obtain S2.

Step 5 Convert S2 as a fake music note M1.
Step 6 Send M1 to the receiver.

## EXAMPLE

In this section we illustrate the proposed encryption methods by an example

## Method 1

Let $\mathrm{S}: 1011010010110101010011011111010101$ 11010011101101 be the binart string to be encrypted.

Let the random fake binary string be
010101111010101010010101111101010100101010001 111101011011010101111101010100101101111010101 010010101010100101010001111101001111101011011 010101111

Now, using insertion method, we encrypt the message to obtain S1
101001011111101001011010001001011111010110101100 010110100001111101011011001100101101111101011010 110011011101111100101101001010100101101011001101 001010010111010110011111110100111011101001011111

Divide S into segments, where each segment contains $\mathrm{k}=3$ bits.
Binary Cipher text into musical notes
101001011111101001011010001001011111010110101 100010110100001111101011011001100101101111101 011010110011011101111100101101001010100101101 011001101001010010111010110011111110100111011 101001011111

Converting this into a fake musical note M using the binary conversion table we the following musical note that will be send to the receiver.

## GCEBGCEDCCEBDAGFDAFCBGEECFGGBGEDAEEGBFGGCDFGGEC GCDDBDAEBAFBEGCEB

## Method 2

Divide $S$ into segments, where each segment contains $k=4$ bits each
$1011|0100| 1011|0101| 0100|1101| 1111|0101| 01$ 11|0100|1110|1101|

Let us choose $M$ to be the musical note of jingle bells [4]. $M$ and the corresponding Bass Chef is
|EEE-|EEE-|EGCD|E---|FFFF|FEEE|EDDD|ED--|EEE-|EEE-|EGCD|E---|
$|C| C|C| C|F| C|G| G|C| C|C| C \mid$
Binary representation
011011011000011011011000011101001010011000000 000100100100100100011011011011010010010011010 000000011011011000011011011000011101001010011 000000000

Inserting plain text
011100110111010000110111001100000111100101010110 001101000000010010001010100010001100011100110111 011101010101010101100101000000010011011101110100 001101110011000001111101010100100111010000000100
( It can be noted the the position of insertion is given in red color and matches with the Bass chef and has been carried out as in table $2)$.


Fig. 1


Fig. 2
We now divide the above string into segments, where each segment contains k-3 bits each.
011100110111010000110111001100000111100101010 110001101000000010010001010100010001100011100 110111011101010101010101100101000000010011011 101110100001101110011000001111101010100100111 010000000100

Converting this into fake musical note using binary conversion table 1 we get the following music note M2 to be sent to the receiver.

## EFABD-ABCF-BFGDACG—DDCDFDCFEFABEGDGDGFG-DEEGAFCGAE-CBGDFFBD--F <br> CROSS CORRELATION RESULTS

For the 16 - bit string the cross correlation properties are measured and compared as shown above. The cross correlation is calculated in comparison with the regular insertion method. The results are shown in Figures 1, 2 and summarized in Table 3.

Table 3

|  | Maximum Cross Correlation Value |  |
| :--- | :--- | :--- |
|  | Insertion Method | Music Note Method |
| Without chord | 0.22 | 0.17 |
| With chord | 0.5 | 0.25 |

As seen from Table 3, we see that utilization of the music note improves the cross correlation property compared to the insertion method.

## CONCLUSION

Two methods had been proposed and demonstrated, which is based upon a reference sequence known only to the sender and the receiver. This reference sequence can be selected from website for music notes. The insertion using music note approach provides additional improvements in the cross correlation property compared to that using insertion method.

## REFERENCE

1. Tremblay J. P, Manohar. R. Discrete Mathematical Structures with Applications toComputer Science. Tata Mc Graw Hill. $38^{\text {th }}$ print 2010.
2. Shiu H. J, Ng K.L., Fang J.F, Lee R.C.T, Huang C.H. Data hiding methods basedupon DNA sequences. Information Sciences 2010; 180: 2196-2208.
3. http://www.readsheetmusic.info/readingmusic.shtml.
4. http://www.music-for-music-teachers.com/jingle-bells-2.html.
5. https://class.coursera.org/crypto-2012-003/lecture/index.
6. http://staff.neu.edu.tr/~fahri/cryptography_Chapter_6.pdf.
